

# (HT1-8) Thermal Conductivity of Insulators, Lee's Disk Method

## Aim of experiment

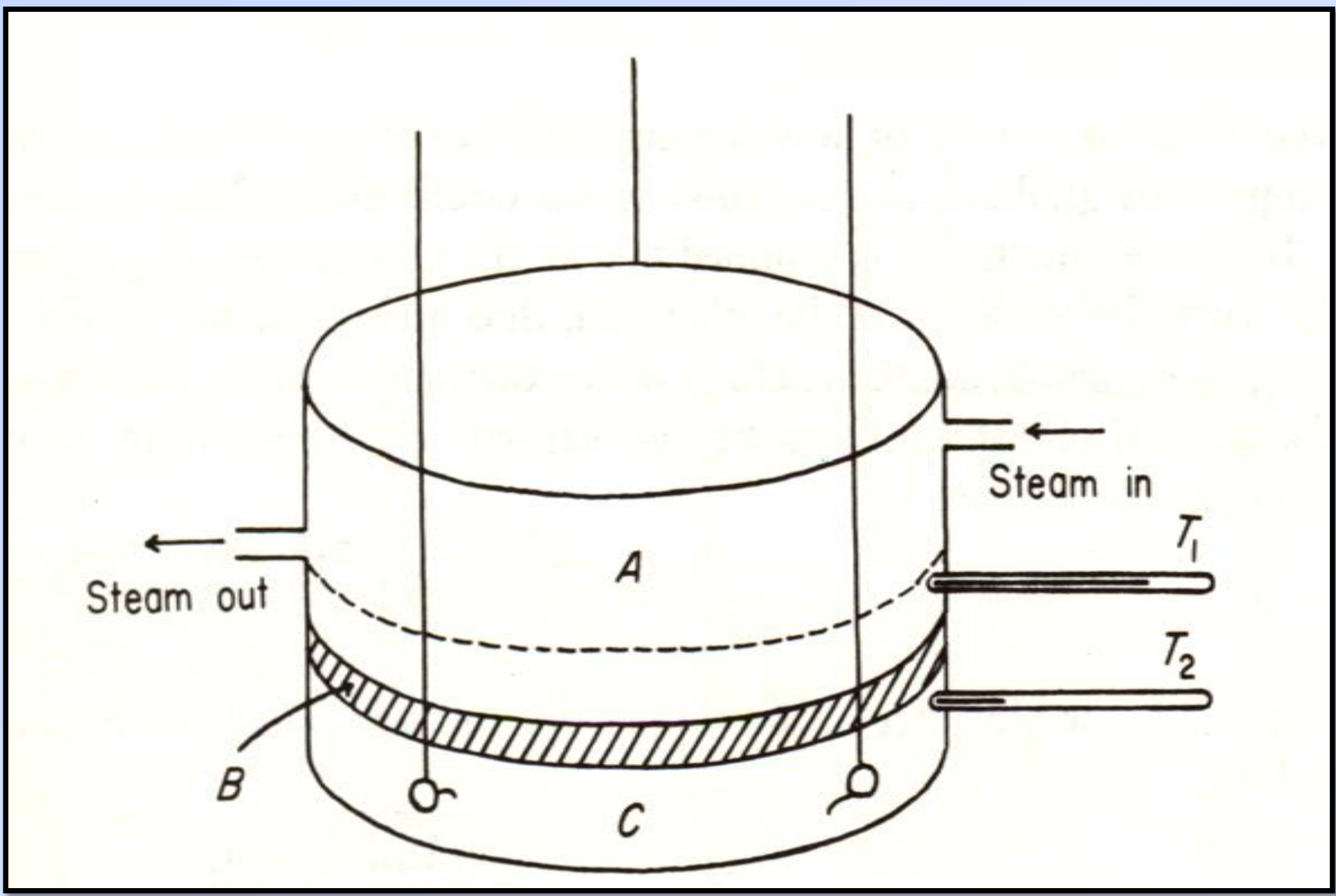
Determination of the conductivity of a bad conductor in the form of a disk

## Apparatus

Lee's Apparatus- Thermometers  $T_1$ ,  $T_2$  – Stopwatch - Bad Conductor in the Form of a Thin Sheet - Micrometer Gauge- Vernier Caliper- Hot Plate.

## Theory of experiment

In this case the apparatus consists of a steam chamber S to which a thick brass plate A is attached. C is a similar brass plate and the disk B of the material under test is placed between A and C. A steam current is passed in the chamber S until the temperatures  $T_1$  and  $T_2$  of the two plates A and C become constant.



**Figure 1.** A schematic diagram of Lees disk experiment

The heat rate transferred through the disk is given by:

$$\frac{dQ}{dt} = K\pi r^2 \frac{T_1 - T_2}{d}$$

where  $r$ , and  $d$  are the radius and thickness of disk B respectively. Also in the steady state an amount of heat equal to that flowing per second ( $dQ/dt$ ) through the disk B is lost by radiation from the exposed surface of the disk C. If the mass of the disk C,  $m$  (gm), is known, its specific heat is  $S$ , and its rate of cooling at  $T_2$  °C is  $(dT/dt)_{T_2}$ , the rate of cooling can be obtained by removing the disk A and then the plate C is heated to a temperature 10 °C higher than  $T_2$  and allowed to cool and then drawing the cooling curve for disk C and deduce the rate of cooling ( $dQ/dt$ ).

$$\frac{dQ}{dt} = mS\left(\frac{dT}{dt}\right)_{T_2} \quad (2)$$

From equation (1) and equation (2)

$$K = \frac{mS(dT/dt)_{T_2}}{\pi r^2 (T_1 - T_2) / d} \quad (3)$$

From which  $K$  can be calculated.

## Procedures

1. Arrange the apparatus as shown in figure 1.
2. Pass a current of steam in chamber S, inserting the two thermometers in the holes in A and C.
3. When the steady state is reached record the two temperatures  $T_1$  and  $T_2$ .

4. Remove the steam chest, but leave B in place, and warm the disk C with a the hot plate until its about 10°C above the temperature reached before.
5. Allow C to cool, taking the temperature at frequent intervals (0.5 min.) until it has fallen about 20°C
6. Plot the cooling curve from the results obtained in step (5). Then calculate the slope of this curve ( $dT/dt$ ) at  $T_2$ .
7. Measure the diameter  $D=2r$  of the disk B with a calliper, and its thickness  $d$  with a micrometer gauge.
8. Find the mass of the disk C.
9. Calculate the coefficient of thermal conductivity of bad conductor  $K$  from the equation:

$$K = \frac{mS(dT/dt)_{T_2}}{\pi r^2 (T_1 - T_2) / d} \text{ Cal./sec./cm.}^\circ\text{C}$$

## Results

### Cooling curve data

$t$ (min)								
$T$ (°C)								
$t$ (min.)								
$T$ (°C)								

$T_1$ at steady state =	°C
$T_2$ at steady state =	°C
Diameters of the disk, B, (bad conductor)	$D = 2r =$ cm.
Thickness of the disk B	$d =$ cm.
Mass of metal slab, C,	$m =$ gm
Specific heat capacity of slap C	$S = 0.244 \text{ cal./gm.}^\circ\text{C}$
From the graph $(dT/dt)_{T_2} =$	°C/sec
Then:	$K =$ Cal./sec./cm.°C